

<<哈密顿Ricci流>>

图书基本信息

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内容概要

During the last twenty years , Chinese mathematics has experienced very impressive developments . with significant increases in international academic communications . Different levels of modern mathematical lecture series and summer schools (for example , the Special Mathematics Lecture Series in Beijing University since 1998) were held in many universities and research institutes . Prominent native and overseas mathematicians gave lectures on basic knowledge and recent developments in different areas of mathematics . This has provided very good opportunities for Chinese mathematics researchers and graduate students to get in touch with basic knowledge as well as ongoing research projects in mathematics . In particular , this has substantially promoted the development of young mathematicians in China . The formulation of the Lecture in Contemporary Mathematics is based on these activities and series lectures . It serves as high level , specialized textbooks for senior undergraduates , graduate students , and young mathematics researchers in mathematics and applied sciences . By publishing lecture notes of top quality , notes from elite courses in summer schools , and other forms of notes . we wish that students and young researchers Can harvest a deep understanding of new developments , and grasp basic knowledge and important ongoing projects in different areas of mathematics in a short period of time .

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