<<弦拓扑与环同调>>

图书基本信息

书名:<<弦拓扑与环同调>>

13位ISBN编号: 9787030313829

10位ISBN编号:7030313828

出版时间:2011-6

出版时间:科学出版社

作者:科恩(Ralph L.Cohen)^Kathryn Hess^Alexander A.Voronov

页数:163

版权说明:本站所提供下载的PDF图书仅提供预览和简介,请支持正版图书。

更多资源请访问:http://www.tushu007.com

<<弦拓扑与环同调>>

内容概要

This book explores string topology,

Hochschild and cyclic homology, assembling material from a wide scattering of scholarly sources in a single practical volume. The first part offers a thorough and elegant exposition of various approaches to string topology and the ChasSullivan loop product. The second gives a complete and clear construction of an algebraic model for computing topological cyclic homology.

<<弦拓扑与环同调>>

作者简介

作者:(美国)科恩(Ralph L.Cohen)(美国)Kathryn Hess(美国)Alexander A.Voronov

<<弦拓扑与环同调>>

书籍目录

i notes on string topology ralph I. cohen and alexander a. voronov introduction

- 1 intersection theory in loop spaces
- 1.1 intersections in compact manifolds
- 1.2 the chas-sullivan loop product
- 1.3 the by structure and the string

bracket

- 1.4 a stable homotopy point of view
- 1.5 relation to hochschild cohomology
- 2 the cacti operad
- 2.1 props and operads
- 2.1.1 prop's
- 2.1.2 algebras over a prop
- 2.1.3 operads
- 2.1.4 algebras over an operad
- 2.1.5 operads via generators and relations
- 2.2 the cacti operad
- 2.3 the cacti action on the loop space
- .2.3.1 action via

correspondences

- 2.3.2 the by structure
- 3 string topology as field theory
- 3.1 field theories
- 3.1.1 topological field

theories

3.1.2 (topological) conformal field

theories

- 3.1.3 examples
- 3.1.4 motivic tcfts
- 3.2 generalized string topology operations
- 3.3 open-closed string topology
- 4 a morse theoretic viewpoint
- 4.1 cylindrical gradient graph flows
- 4.2 cylindrical holomorphic curves in t*m
- 5 brahe topology
- 5.1 the higher-dimensional cacti operad
- 5.2 the cacti action on the sphere space
- 5.3 the algebraic structure on homology
- 5.4 sphere spaces and hochschild homology

bibliography

ii an algebraic model for mod 2 topological cyclic homology

kathryn hess

preface

1 preliminaries

<<弦拓扑与环同调>>

- 1.1 elementary definitions, terminology and notation
- 1.2 the canonical, enriched adams-hilton model
- 1.2.1 twisting cochains
- 1.2.2 strongly homotopy coalgebra

and comodule maps

1.2.3 the canonical adams-hilton

model

- 1.3 noncommutative algebraic models of fiber squares
- 2 free loop spaces
- 2.1 a simplicial model for the free loop

space

- 2.1.1 the general model
- 2.1.2 choosing the free loop model

functorially

2.2 the multiplicative free loop space

model

- 2.2.1 the diagonal map
- 2.2.2 the path fibration
- 2.2.3 the free loop space

model

2.3 the free loop model for topological

spaces

- 2.4 linearization of the free loop model
- 3 homotopy orbit spaces
- 3.1 a special family of primitives
- 3.2 a useful resolution of cu, es1
- 3.3 modeling s1-homotopy orbits
- 3.4 the case of the free loop space
- 4 a model for mod 2 topological cyclic homology
- 4.1 the pth-power map
- 4.2 topological cyclic homology

bibliography

<<弦拓扑与环同调>>

章节摘录

版权页:插图:Thebiholomorphic maps are part of the data, which in particular means that choosing different biholomorphic map for the same hole is likely to change the point in the moduli space. The more precise nonoverlapping condition is that the closeddisks in the inputs do not intersect pairwise and the closed disks in the outputs donot intersect pairwise, however, an input and an output disk may have commonboundary, but are still not allowed to intersect at an interior point. This techni-cality brings in the identity morphisms to the PROP, but does not create singularRiemann surfaces by composition. The composition of morphisms in this PROPis given by sewing the Riemann surfaces along the boundaries, using the equationzw = 1 in the holomorphic parameters coming from the standard one on the unitdisk. The tensor product of morphisms is the disjoint union. This PROP plays acrucial role in Conformal Field Theory, as we will see now.

<<弦拓扑与环同调>>

版权说明

本站所提供下载的PDF图书仅提供预览和简介,请支持正版图书。

更多资源请访问:http://www.tushu007.com