

<<分析 (第2卷)>>

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内容概要

数学

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阿莫恩编著的《分析》内容介绍：As with the first, the second volume contains substantially more material than can be covered in a one-semester course. Such courses may omit many beautiful and well-grounded applications which connect broadly to many areas of mathematics. We of course hope that students will pursue this material independently; teachers may find it useful for undergraduate seminars.

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